

TELEONT TELVii

$$R_{\text{Å}2} : \text{Kvint}$$
[illegible]

vii : $\updownarrow \leftarrow \text{Åviii}$

(5/8 Ri3) : Δ → Cviigvfi

$$A = \frac{1134}{729} - 2 \div \frac{9}{5}$$

$$B = \sqrt{147} - 2\sqrt{27} + 5\sqrt{3}$$

$$C = \frac{25 \times 10^{-2} \times (3 \times 10^{-3})^2}{2 \times 10^5} = 1.125 \times 10^{-7} \text{ F}$$

 $(\frac{5}{8}R_{k,5}) : \left(\frac{106}{17}, \frac{119}{17}, \frac{119}{17}, \frac{106}{17} \right)$

$$E = (2x - 3)^2 - 36$$

1. The first part of the document is a list of references. The references are as follows:

$$x = \sqrt{2} \text{ eC}_1 \text{ iiii KRW 1971 und A. 1.2}$$

~~TYPE III~~
~~REVISED~~
 .E = 64 TYPE III E° F.3

(5/8Rik3) : $D_{p1} \otimes D_{p2} \otimes D_{p3}$

$$ST = 60 \text{ mm} \leftrightarrow RT = 48 \text{ mm} \quad \vdash \quad RS = 36 \text{ mm} \quad \vdash \quad \frac{ST}{RS} = \frac{RT}{RS} \quad \vdash \quad \frac{ST}{RS} = \frac{RT}{RS}$$

~~.v~~~~RST~~ P ~~G~~~~U~~~~N~~~~i~~~~x~~ ix^{TEC}€.¹

$$\widehat{RST} \approx \tan \widehat{RST} \cdot d \approx 1.2$$

$$\frac{TN}{TS} = \frac{3}{2} \quad \mathbb{P} \llbracket \mathcal{E}_{[TS]} \rrbracket_{\text{inv}}^{\text{P8}} \text{ix}_N \leftrightarrow_{TM=72\text{mm}} \mathbb{P} \llbracket \mathcal{E}_{[TR]} \rrbracket_{\text{inv}}^{\text{P8}} \text{ix}_M. \quad 3$$

$$\cdot (MN) // (RS) \quad ix \quad ix \rightarrow TE \quad \epsilon -$$

$$p = \frac{MNT \text{ P } \text{V} \text{I} \text{N} \text{T} \text{ } \text{R} \text{A} \text{V} \text{I} \text{I}}{BST \text{ P } \text{V} \text{I} \text{N} \text{T} \text{ } \text{R} \text{A} \text{V} \text{I} \text{I}} : \text{F} \text{A} \text{N} \text{D} \text{ } \text{A} \text{N} . 4$$

$$(5/8 R_{13,5}) : 7/8 R_{13,5} \text{ in } \bar{V}_1$$

[illegible]

$\bullet AB \xrightarrow{E} \frac{5}{8} N_2 + \frac{1}{8} O_2$

[illegible]

$$\overrightarrow{BD} = \overrightarrow{BA} + \overrightarrow{BC} : \text{Paralelogramma}$$

~~.EV~~~~IN~~~~ABCD~~ ~~\~~~~THE~~^{TEN}~~N~~ ~~I~~~~↔~~~~Rail~~ 3

.ABCD \underline{TE} N \overline{TE} / R \overline{Q} \overline{TM} \overline{TE} \overline{ii} \overline{00} \overline{E} \overline{d} \overline{A} \overline{N} .4

[illegible]

.123000DA V^{TEL}_{IV6} F^{TEL}_{V8} Eiv^{TEL}_{IViii}*E^{TEL}_{IVp}*F^{TEL}_{V8}5 ER^{TEL}_{III}g^{TEL}_{AN}T^{TEL}_N↔

$\frac{7}{8} \times \frac{1}{2} = \frac{7}{16}$

: iRO Rviii^{TC} *N Rviii[↑] QV E 2/3 ← QEC₁ ixiii 2

• δ° F° N° TE° W° M° W° $\text{X}_{24\text{DA}}$ $\uparrow$ X° W° N° $\uparrow$ O° R° E° W° N° Δ $\times$ G° M° $\ll$ G°

[illegible]

E ← NixTRN, Nid Å FE 23 ← NITXID, g(x) ↔ f(x) 'nDpN yünwN IV A p TM VII X(1)
.d 3 N VII N ↔

$$: E \leftarrow \mathbb{C} \text{ with } \forall x \in E, g(x) \leftrightarrow f(x) \text{ in } \mathbb{C} \text{ with } x \neq \infty \in \mathbb{C}^{\text{TE}} \text{ with } -$$

x	0	450	500
$f(x)$			
$g(x)$			

$$: \mathbb{N}_g \leftrightarrow f \times_{\mathbb{A}^1} \mathbb{N}_{g'} \text{ via } \mathbb{N}_{g'} \rightarrow X(\underline{d})$$

~~Revised~~ 2400 DA Eivm cm  ~~Revised~~ 50 km Eivm cm

$$E \leftrightarrow_{\text{TE}} A \times M \quad f(x) < g(x) \quad \neg \exists x \in \mathbb{N} \forall y \in \mathbb{R} \exists z \in E^\circ F(A)$$

$\cdot \nabla^{\text{IE}} \leftarrow \nabla \leftrightarrow \text{xviii} \nabla^{\text{IE}} \leftarrow \nabla \times \text{Å} \nabla \leftrightarrow \text{xvii} \text{Er} \nabla / \text{IX} \times \text{Å} \nabla \leftrightarrow \text{xviii} \nabla \quad * (8)$

: 7 JAN 1968 Nixville, Ixide RR Ave → RME ← C Nix

$i \xrightarrow{TEL} j$	$IX_{58}A$	$VI \leftrightarrow$	$IX_{58}A$	$i \xrightarrow{TEL} j$	$IX_{58}A$
425	300	780	431		
800	131	630		431	
975	582		630	780	
703		582	131	300	
	703	975	800	425	

[illegible]

ANEXIN 98 70

(5/8 Ri3) : Δ → *Cvii8Viii

$$\Omega_{\text{eff}} = \frac{\rho}{3H^2} = \frac{8\pi G}{3H^2} \rho$$

$$\left\{ \begin{array}{l} 1\,134 = 729 \times 1 + 405 \\ 729 = 405 \times 1 + 324 \\ 405 = 324 \times 1 + \boxed{81} \\ 324 = 81 \times 4 + 0 \end{array} \right. \Rightarrow \text{PGCD}(1\,134; 729) = 81$$

$$A = \frac{1134}{729} - 2 \div \frac{9}{5} = \frac{1134 \div 81}{729 \div 81} - 2 \times \frac{5}{9} = \frac{14}{9} - \frac{10}{9} = \boxed{\frac{4}{9}}$$

$$B = \sqrt{147} - 2\sqrt{27} + 5\sqrt{3} = \sqrt{49 \times 3} - 2\sqrt{9 \times 3} + 5\sqrt{3} = 7\sqrt{3} - 2 \times 3\sqrt{3} + 5\sqrt{3}$$

$$= 7\sqrt{3} - 6\sqrt{3} + 5\sqrt{3} = (7 - 6 + 5)\sqrt{3} = 6\sqrt{3}$$

$$C = \frac{25 \times 10^{-2} \times (3 \times 10^{-3})^2}{2 \times 10^5} = \frac{25 \times 10^{-2} \times 3^2 \times 10^{-3 \times 2}}{2 \times 10^5} = \frac{25 \times 10^{-2} \times 9 \times 10^{-6}}{2 \times 10^5} : \text{Rov. 3}$$

$$= \frac{25 \times 9}{2} \times \frac{10^{-2} \times 10^{-6}}{10^5} = 112,5 \times 10^{-2+(-6)-5} = 1,125 \times 10^2 \times 10^{-13} = 1,125 \times 10^{2+(-13)}$$

$$C = 1,125 \times 10^{-11}$$

(5/8 Ri3) : ~~viigviigviig~~

: E ~~KTRW~~ 5/8 ~~AE~~ ↔ ~~TX~~ X.1

$$E = (2x-3)^2 - 36 = (2x)^2 - 2 \times 2x \times 3 + 3^2 - 36 = 4x^2 - 12x + 9 - 36 = 4x^2 - 12x - 27$$

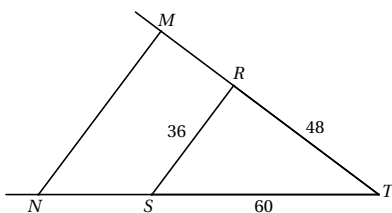
$$: x = \sqrt{2} \in \mathbb{C}_1$$

$$E = 4(\sqrt{2})^2 - 12\sqrt{2} - 27 = 4 \times 2 - 12\sqrt{2} - 27 = 8 - 27 - 12\sqrt{2} = \boxed{-19 - 12\sqrt{2}}$$

$$\begin{array}{llllll} (2x-3)^2-100=0 & \uparrow \text{iii} & (2x-3)^2-36-64=0 & \uparrow \text{iii} & (2x-3)^2-36=64 & \text{RMiii } E=64 \quad .3 \\ (2x-13)(2x+7)=0 & \uparrow \text{iii} & (2x-3-10)(2x-3+10)=0 & \uparrow \text{iii} & (2x-3)^2-10^2=0 & \uparrow \text{iii} \\ \left. \begin{array}{l} 2x-13=0 \\ 2x=13 \\ x=\frac{13}{2} \end{array} \right\} & & \leftrightarrow & & \left. \begin{array}{l} 2x+7=0 \\ 2x=-7 \\ -7 \\ x=\frac{-7}{2} \end{array} \right\} & \uparrow \text{iii} \end{array}$$

$$\frac{13}{2} \leftrightarrow \frac{-7}{2}$$

(5/8Rix) : ~~Dp~~ ~~in~~ ~~06~~ ~~iv~~ ~~18~~ ~~viii~~



$$\begin{cases} ST^2 = 60^2 = 3600 \\ RS^2 + RT^2 = 36^2 + 48^2 = 1296 + 2304 = 3600 \end{cases} : \text{Rov. 1}$$

$$RS^2 + RT^2 = ST^2 \quad \nearrow$$

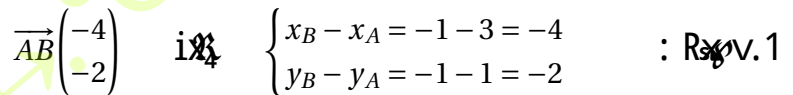
$$\tan \widehat{RST} = \frac{RT}{RS} = \frac{48}{36} \approx 1,333 : \text{Resol} R \searrow \text{X.2.11} \text{ Resol } RST \text{ P.2.11} \searrow \text{X.2}$$

$$\widehat{RST} = 53^\circ \quad \widehat{RST} = 1,333^{\text{2nde}} \stackrel{\tan^{-1}}{\tan} \approx 53,1^\circ \quad \uparrow \text{xiii}$$

$$\frac{TM}{TR} = \frac{TN}{TS} \quad \text{if } \frac{TM}{TR} = \frac{TN}{TS} \text{ then } \frac{TM}{TR} = \frac{TN}{TS}$$

$\vdash \neg RST \vdash \text{GINKY} \leftrightarrow MNT \vdash \text{GINKY} \leftrightarrow \Omega \text{ IS FLX} \leftrightarrow X MNT \leftrightarrow RST$ in GINKY-XB-ANEN And AF.4

(5/8Rik) : 7/8Rik



$$D \leftrightarrow C \text{ in } \mathcal{R}_x.2$$

• $BA = BC \leftrightarrow \widehat{ABC} = 90^\circ$ ~~if~~

$\vec{AB} + \vec{BC} = \vec{AC}$

. I^{FVII} ↓ X₁₂ i R^A P^{III} R^Q III R^V V₂ ← F^I D^I F^A N^M VI ↓ ⅜ ← H^T ↑ H^Q III ABCD √ U^E N

$$\uparrow \text{XIII}(-3;3) : \downarrow \text{X}(\downarrow \text{VII})[AC]$$

$\cdot M(0; 2) \text{ in } \mathbb{R}_4$

$$(5/8R_{18}) : \in \mathbb{A} \cap \mathbb{V} \text{ et } \in \mathbb{E}_3 - \mathbb{V}$$
$$K_{\text{TE}}^{\text{TE}} \text{ NT} \text{ V}_{\text{TE}} \text{ Nix} \text{ U}_b \leftrightarrow \text{A}^{\text{TE}} \text{ Nix} \text{ U}_a \text{ V}_{\text{A}} \text{ X}.1$$

$$\cdot \left(1 + \frac{20}{100}\right) b = 1,2b \leftrightarrow \text{Kaufkraftverlust 20\%}$$

↑ xiii

$$: \mathbb{F}_q[x] \text{ is a free } \mathbb{F}_q[x] \text{-module of rank } n.$$

↑ xiii

$$: \mathbb{F}_q[x] \rightarrow \mathbb{F}_q[x] : f(x) \mapsto f(x^q)$$

↑ xiii

↑ xiii

: ix ~~Q~~ ~~REVINT~~ ~~ix~~ ~~R~~ ~~REV~~

$$: \mathbb{C} \times (-1, 2) \rightarrow X(1) \text{ by } (x, y) \mapsto x + y\sqrt{-3}$$

$$: \mathbb{C} \otimes X^{(2)} \not\rightarrow X_s \otimes IV \not\rightarrow X_s \otimes IV \hookrightarrow IV \otimes X$$

↑ **xiii**

↑ xiii

$$:\mathbb{C} \times (1) \rightarrow \mathbb{R}^{+}$$

$$1,2 \times 8000 = 9600 \text{ DA } K_{\text{TEL}}^{\text{TEL}} \text{ NW } V_{\text{TEL}} / \text{Nixii} \leftarrow 8000 \text{ DA } K_{\text{TEL}}^{\text{TEL}} \text{ NW } V_{\text{TEL}} / \text{Nixii} \text{ in } 2500 \text{ DA } \searrow A \text{ NW } V_{\text{TEL}}: \updownarrow \Rightarrow \text{TM}$$

